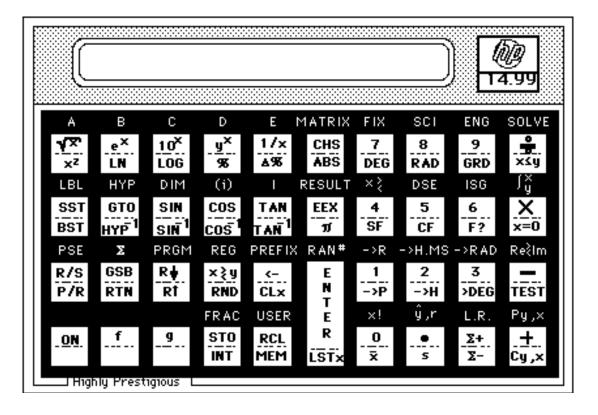
Fifteen-C © 1992 James Ullrey INRESCO All rights reserved

All usual disclaimers apply



Function:

HP-15C Calculator emulation. HP hand held calculators, if not the first to use reverse Polish notation (RPN), certainly advanced the use and familiarity of this paradigm.

RPN, or post fix operator notation, works this way: Key in a number, when you are finished keying in the number, press the enter key. This terminates the enter mode and prepares the calculator for the next operation, whether it be entering the next number or performing an arithmetic operation(addition, subtraction, multiplication or division) or a trigonometric operation(sine, cosine or tangent). When the enter key,



, is pressed, the number in the display is entered into the stack, the name of a

convenient device, where the numbers are stored in preparation to their use in some arithmetic operation. The arrangement of the stack is such that the number viewed in the display is in the stack register designated X. Three other stack registers exist, designated Y, Z and t. These are named for the three axes of the Cartesian coordinate system, and time. To

view the contents of the stack, use the roll down button

. Pressing the roll-down button

copies the contents of the X stack register into a temporary register, copies the contents of the Y register into the X register, copies the Z register into Y, copies time into Z, and takes the

R∳ Rİ

former contents of X, stored in temp, and places it in t. Pressing

three more times

repeats this process three more times, restoring the state of the stack to its state before



was pressed the first time. Pressing



(g selects the lower function on the button

RŤ

face) performs a similar function, except that t goes into X, Z goes into t, Y goes into Z and X goes into Y.

As an example, to subtract the number 2.3 from 4.2, first key in the number 4.2, press enter, 4.20000000 will appear if the display is set to display 8 digits past the decimal point.

- t ????
- Z ????
- Y 4.2000000
- X 4.2000000

When the enter key is pressed, 4.2 is copied into Y, and remains displayed in X. Next enter the number 2.3. The stack now looks like this:

- t ????
- Z ????
- Y 4.2000000
- X 2.3

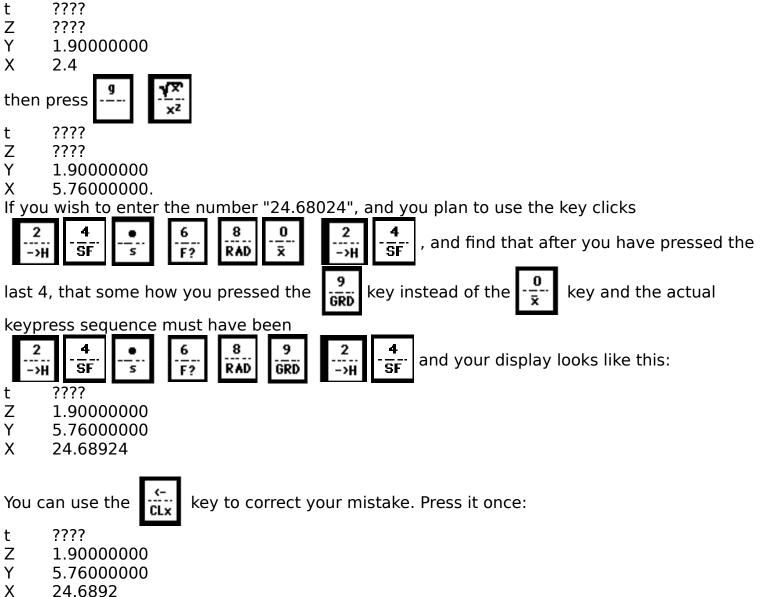
The 4.20000000 in the display is overwritten by 2.3. Press the minus key



subtraction is performed, subtracting the value in X from that value in Y and rolling the stack down, to display:

- t ????
- Z ????
- Y ????
- X 1.9000000

Some operations can be performed without the use of the enter key. For example to square a number, 2.4, first enter it:



Press	<u></u> CLx	again:
t	????	
Ζ	1.9000	00000
Y	5.7600	00000
Х	24.689)

And again:

- ???? t
- Ζ 1.9000000
- Y 5.76000000
- Χ 24.68

Then key in correctly

- ???? t
- Ζ 1.9000000
- Y 5.76000000
- Х 24.68024

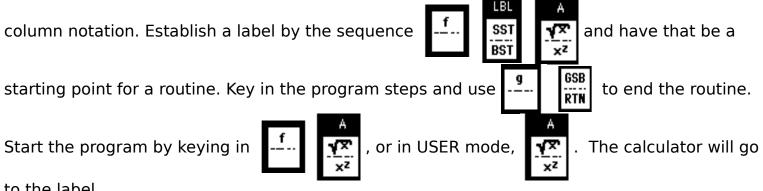
Features:

, providing the corrected result.

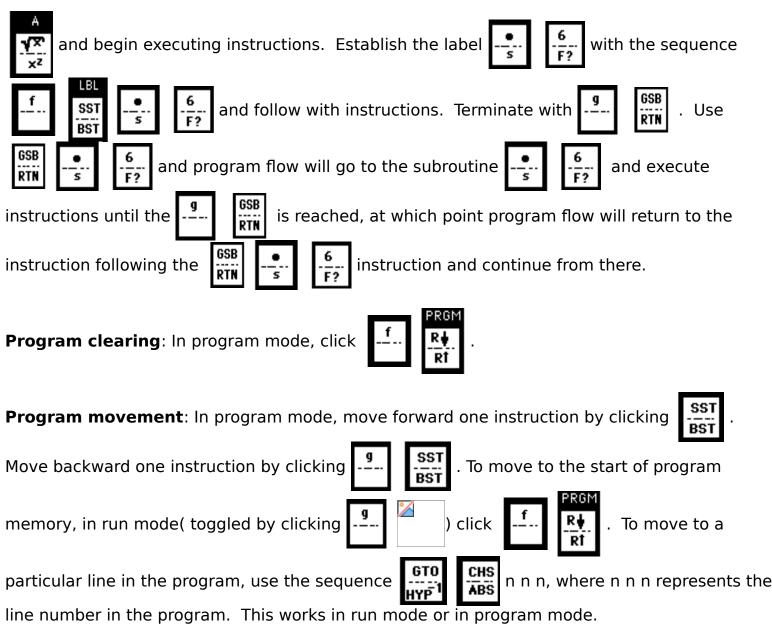
The programmability works. turns on the program enunciator. Clicking on a button

SF

or using keyboard equivalents puts code in the display. The codes are the row and column numbers of the buttons. The rows are 1 at the top and 4 at the bottom. The columns are 1 at the left and 0 at the right. The numbers are represented by themselves and not by row and



to the label

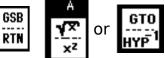


Program editing: To insert instructions in the middle of a program, single step in program mode to the instruction preceding the point where you wish to add instructions and begin to key in instructions. Instructions following will be pushed down in program memory to make room. To delete program instructions, single step in program mode to the instruction you wish

to delete and use the to button. Program steps following will move up to fill in the space.

Program branching and control: Branching occurs two ways, with subroutines, GSB, and go to's, GTO. Both of these operate in both direct and indirect. In the direct mode, a label is

used, for example



iT0 ● 6 γ^{−1} s F?

The GSB requires that there be a



todirect the flow of the program back to the instruction following the GSB instruction.

The GTO instruction has no return requirement. In the indirect mode, use



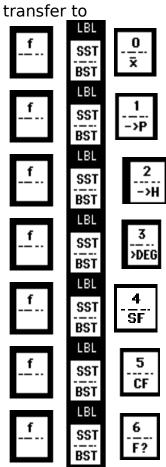


. The I above the TAN button stands for Index. You could use the sequences



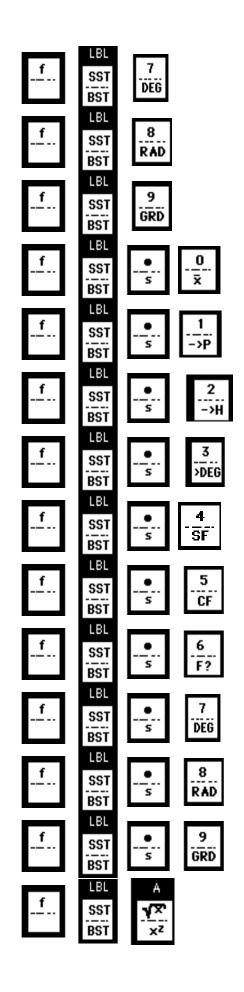
but the f is understood and not necessary. The

integer portion of the number stored in the Index register is used for branching. If the number is negative, the branch will be to the line number corresponding to the absolute value of the integer portion of the Index register contents. If the number is positive, the branch will be to a label according to the following table:

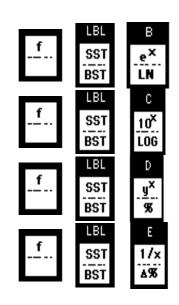


10	
11	

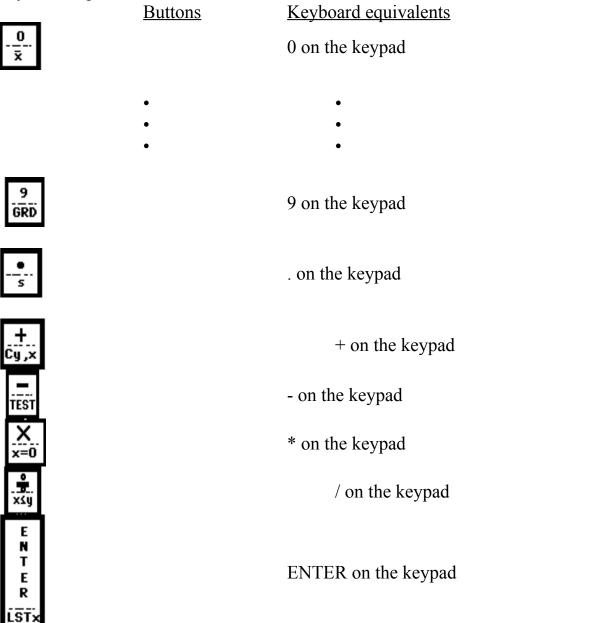
- . -

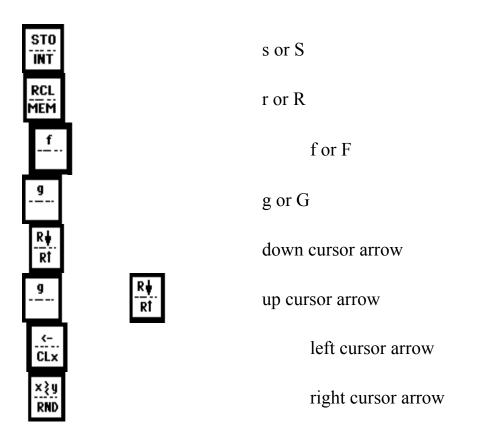






The keypad works for 30 of the 39 buttons. Use mouse clicks in the window for the rest of them. The keyboard equivalents are as follows:





To simplify matrix operations these buttons affecting matrix operations can be accessed by the keyboard equivalents as follows:

DIM SIN SIN ¹	i or l	for dlimension		
A <u>√x</u> × ^z	a or A,	so recall matrix A would be: r m a		
B e [×] LN		o dimension matrix B as 2 x 3 would		
be: 2 enter 3 f i b				

c or C	
d or D	
	¢

m or M

e or E

combinations of keyboard equivalents work, for example, f r turns USER mode on.

The SOLVE function,

0 10[×]

LOG

D

<u>y</u>× 96

1/x

۵%

CHS ABS



, is not implemented, and probably won't be.

The numerical integration,

 $\frac{\int_{y}^{x}}{\frac{X}{x=0}}$

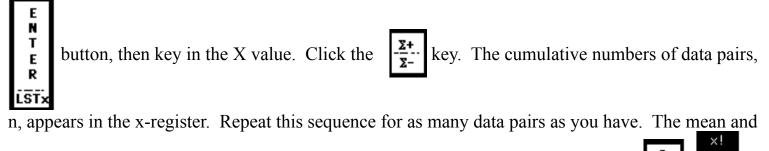
, is not implemented, and probably won't be.

Matrix inversion doesn't work.

Matrix addition, subtraction and multiplication work.

Complex addition, subtraction, multiplication and division works, as well as complex number square root.

Linear Regression works. To find a regression line, key in data pairs. Key in the Y value first, click the



standard deviation of both the X- and Y- values are available. To get the mean, click --

The mean of X is in the X-register, the mean of Y is in the Y-register. To get standard

deviations, click the sequence $-\frac{3}{5}$. The standard devition of X is in the X-register, the

standard deviation of Y is in the Y-register. To find the regression line, key the sequence



0

. This computes, by the method of least squares, the slope, A, and the y-intercept, B, of

the linear equation: y = Ax + B. B is found in the X-register, and A is in the Y-register. To find the linear estimate for y, after collecting the X- and Y- values as described above, enter a

proposed value of x and press

<u>Σ+</u> Σ-

. The linear estimate, y^{\uparrow} is in the X- register, and

the correlation coeficient, r, is in the Y- register.

The memory manager works.

The memory consists of 67 registers, R0 through R65 and the Index Register, RI. R0 and R1 are fixed but R2 through R65 can be reallocated for different purposes. In the physical HP-15C hand held calculator, the memory bytes can be allocated to store program instructions, but in the software emulation that I have created, the programmability has not been implemented yet so that function of memory is ignored.

Memory can be allocated two ways: To be used as registers for storing numbers, or for use as storage for matrix elements. This is described below.

You can dimension a matrix up to 8 x 8.

Mathematical knowledge concerning matrix operations and complex number operations is assumed.

Operation:

To facilitate understanding of the following operations a menu has been added called windows. This menu has two items, matrices and registers. Selecting the Matrices menu item causes windows to appear when the matrices are created, which happens when a dimension of 1 x 1 or greater is given to a particular matrix as described below. The size of the window is appropriate to the size of the matrix. The windows are named Matrix A, Matrix B and so on. Selecting the Register menu item causes a window to appear which reports how the registers are used for the matrix functions. This works as follows: When a matrix is dimensioned, the registers are allocated for that matrix, starting at register 65 and counting downward to the limit of the partition, which is variable. When the registers are allocated, a window appears with as many cells as are needed appropriate to the size of the matrix, and filled with zeros. If another matrix is dimensioned, more cells are added in the window in one column until 20 cells are displayed. For more than 20 cells, a second column is added, for more than 40 a third, for more than 60 a fourth. If and when values are assigned to the matrix elements they appear in the appropriate matrix window and also in the register window. If, after dimensioning and assigning values to all of the five matrices, one dimensions the third matrix created to zero by zero, thereby releasing the memory used, and the contents of the array used, the memory manager moves the values from the lower numbered array locations into the array locations freed in the process, thus compacting the applications heap and preventing memory fragmentation.

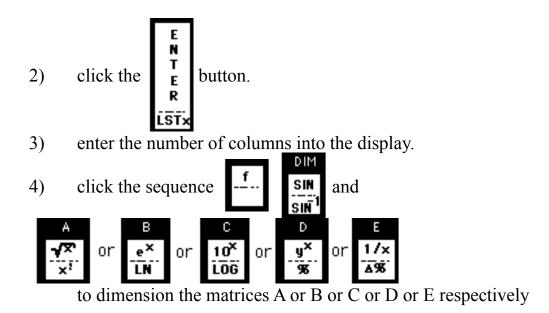
To clear the contents of the matrix elements and set the dimensions of all of them to 0 by 0, click the following button sequence:



At this time, all the matrices A, B, C, D and E have the capabilities described in the following:

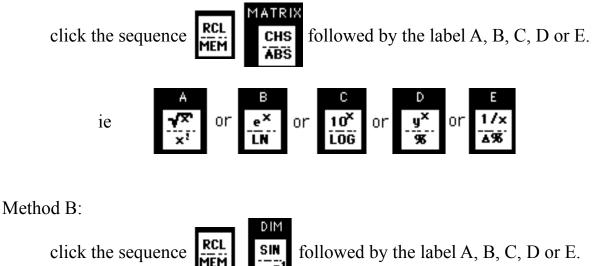
To dimension a matrix:

1) enter the number of rows into the display.



To display the dimensions of a matrix:





SIN

the # rows will be in the Y-register. the # columns will be in the X-register.

To store and recall matrix elements: Method A:

Storage Registers R0 and R1 are used to store the row and column numbers of a matrix element respectively.

- 1) To set R0 and R1 to 1 and 1 click
- 2) Activate USER mode clicking

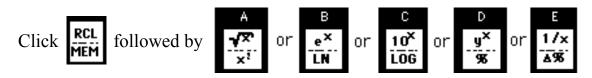


. This allows for automatic

incrementing of the values in R0 (rows) and R1 (columns) so that the values are placed in the appropriate memory locations corresponding to the row and column indices.

3) If you are storing elements, key the value to be stored in row r column c where r and c are initially 1 and 1.

- 4) Click \overbrace{INT}^{STO} followed by $\overbrace{x^1}^{VX}$ or \overbrace{LN}^{B} or \overbrace{LOG}^{C} or $\overbrace{y^X}^{Y}$ or $\overbrace{x^{S}}^{I}$
- 5) To recall matrix elements,



6) Repeat steps 3 & 4 to store all elements of the matrix. The values of r and c are automatically incremented.

or

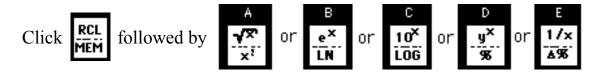
Repeat step 5 for all elements of the matrix. The values of r and c are automatically incremented.

Method B:

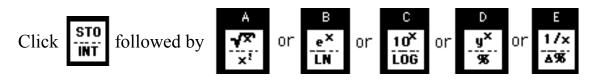
With USER mode turned off,

Store the row and column numbers in R0 and R1 as described above.

To recall an element value

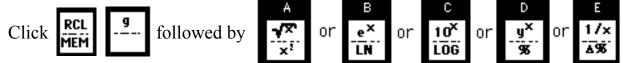


To store an element value, key the value into the display using or the numeric keypad.

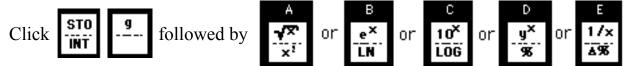


Method C:

To recall an element value, enter the row number and column number into the stack in that order, then:



To store an element value, enter the value on the stack followed by the row number then the column number, then:



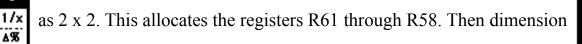
How the memory manager works in this context is actually transparent to the user, but a description follows for the dedicated technoweenie. As an example I describe the process of successively

С

dimensioning matrices: First, dimension

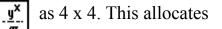
 10^{\times} as 2 x 2. This allocates the registers R65 through R62.

Then dimension



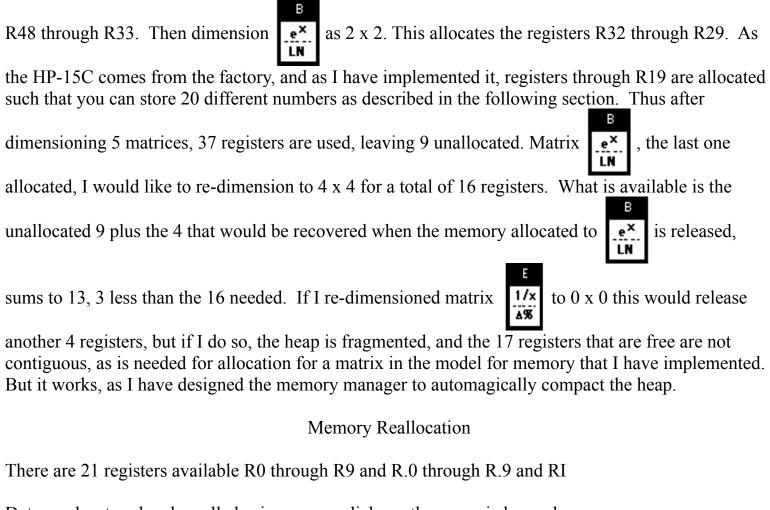


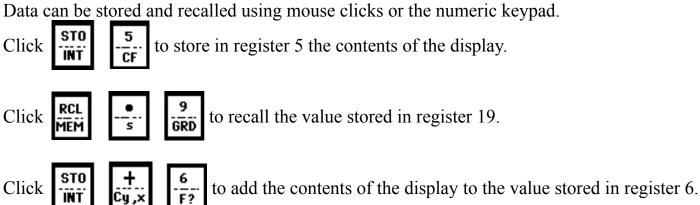
as 3 x 3. This allocates the registers R57 through R49. Then dimension



the registers

mouseclicks





The memory that is available can be reallocated to allow up to 67 registers, including the previously

mentioned 21. To do this, click

MEM

cos after first placing the number, dd, of the cos^{-1}

multiplies the value in the display by the contents of register 17.

highest data storage register in the display. dd suffers the constraint $1 \le dd \le 65$.

DEG

To test the value of dd, click the sequence **9**. The calculator will display briefly the memory configuration in the form:

SIN

SIN¹

dd uu pp-b

where

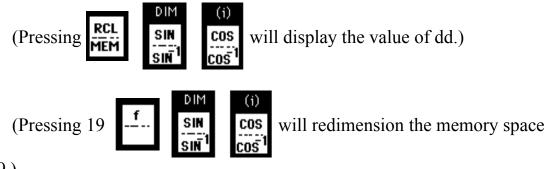
Clicking

dd = the number of the highest numbered register in the data storage pool.

uu = the number of uncommitted registers in the common pool.

(currently unimplemented)

pp = the number of registers containing program instructions. (currently unimplemented)



that dd = 19.)

Significance:

Registers, complex functions and matrix manipulations are affected by each other.

Once additional registers have been allocated, they can be accessed by direct and indirect addressing.

This uses COS and

There are several ways to manipulate the value of the INDEX Register RI.

You can store (or recall) directly, as with

display in RI (or recalls the value of RI into the display).

You can also do register arithmetic as in

contents of RI.



stores the display value into (or recalls into the display the value)

in the register (from the register) corresponding to the absolute value of the integer portion of the number in the index register RI.

You can also do indirect register arithmetic. For example,



divides the display

value by the value contained in the register corresponding to the absolute value of the integer part of the number in RI.

Clicking

exchanges the contents of the x-register (the display) and the INDEX

register, RI.

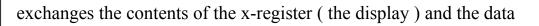
(i)

Cy ,>

(or

, which adds the display value to the

. This places the value in the



storage register addressed by the number(0 to 65) stored in the INDEX register, RI.

Significance of the value dd and uu

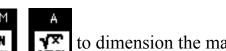
, if there is some

other value, see Note 1 below), see what happens when a matrix is dimensioned.

Click the sequence



COS



to dimension the matrix A to be a 3 by

3 matrix.

Clicking

Check its dimension by clicking the sequence

RCL MATRIX

. You should see in the display

"A 3 3". Now check the memory allocation with the mouse click sequence



display should read "19 37 0-0". This demonstrates that registers for matrix elements are allocated from the "uu" field.

Working with complex numbers:

Key(with mouseclicks) in the real part of the number into the display

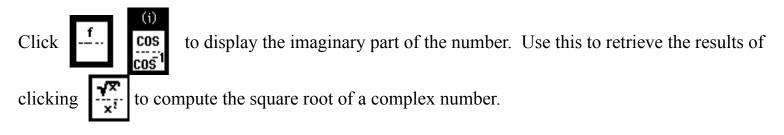
Click E R LIST

Key the imaginary part of the number into the display



to enable the imaginary stack and store the imaginary part in it.

After performing arithmetic operations on complex numbers the display contains the real part of the sum.



Some of the other functions of this app are obvious, some are not.

Error Conditions

- Error 0: Improper Mathematics Operation
- Error 1: Improper Matrix Operation
- Error 2:
- Error 3:
- Error 4:
- Error 5:
- Error 6:
- Error 7:
- Error 8:
- Error 9:
- Error 10: Insufficient Memory

Meaning:

There is not enough memory to perform a given operation.

Error 11: Improper Matrix Argument

Inconsistent or improper matrix arguments for a given matrix operation:

Note 1:

This documentation is far from complete, as is the functionality of the application. Copies of the original Hewlett-Packard documentation may be obtained for a copyright fee to HP and photocopy charges.

Send bug reports, praise, flames, money or job offers to:

James Ullrey INRESCO AOL: JamesU9 AppleLink: ULLREY BMUG RBBS:Conferences:Macintosh:Programming:James C. Ullrey PRODIGY:dbpt67a

Rev 13 features:

In order that the matrix functions be more visible I have implemented a menu selection with items Matrices and Registers, which, when the Matrix item is selected, displays matrix windows for those matrices which have been dimentioned. The Register menu item causes the contents of the registers to be displayed. This causes problems on machines such as the Mac Plus and the Classic, which have small screens compared to other models. Thus I have implemented a Transmogrifier function, which is activated by clicking on the HP logo box while holding down the command key. This hides the calculator window and displays a smaller version. Both calculator faces are draggable by clicking and dragging in the HP logo box. The system is polled at launch time for the presence of color in the main display and displays a color splash screen on color displays and a black and white splash screen on black and white displays.

C13 Calculator π				
淋 Name	obj size			
♦ C13 Calculator.c	4638	ŵ		
MacTraps	8342	≣		
math.c	1898			
SANE	1572			
* calc_arithmetic.c	3540			
* calc_decimal_button.c	4318			
* calc_enter_button.c	4686			
* calc_etox_button.c	5810			
* calc_files.c	3080			
* calc_five_button.c	5626			
* calc_handlebutton.c	422			
* calc_help.c	52			
<pre>* calc_inits.c</pre>	3622			
* calc_inverse_button.c	5568			
* calc_matrix_functions.c	10192			
<pre>* calc_memory_man.c</pre>	3038			
* calc_mousedown.c	6836			
* calc_nine_button.c	6600			
* calc_one_button.c	5858			
* calc_program.c	4024			
* calc_rolldn_button.c	4084			
* calc_seven_button.c	5794			
* calc_sin_button.c	4012			
* calc_sqrt_button.c	6764			
* calc_tan_button.c	4354			
* calc_tentox_button.c	5904			
<pre>* calc_three_button.c</pre>	5766			
<pre>* calc_update.c</pre>	960			
<pre>* calc_ytox_button.c</pre>	6042	¥.		
* trick.c	2	민민		

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